



# TRK-10-005 Status Update

Yanyan Gao (Fermilab)

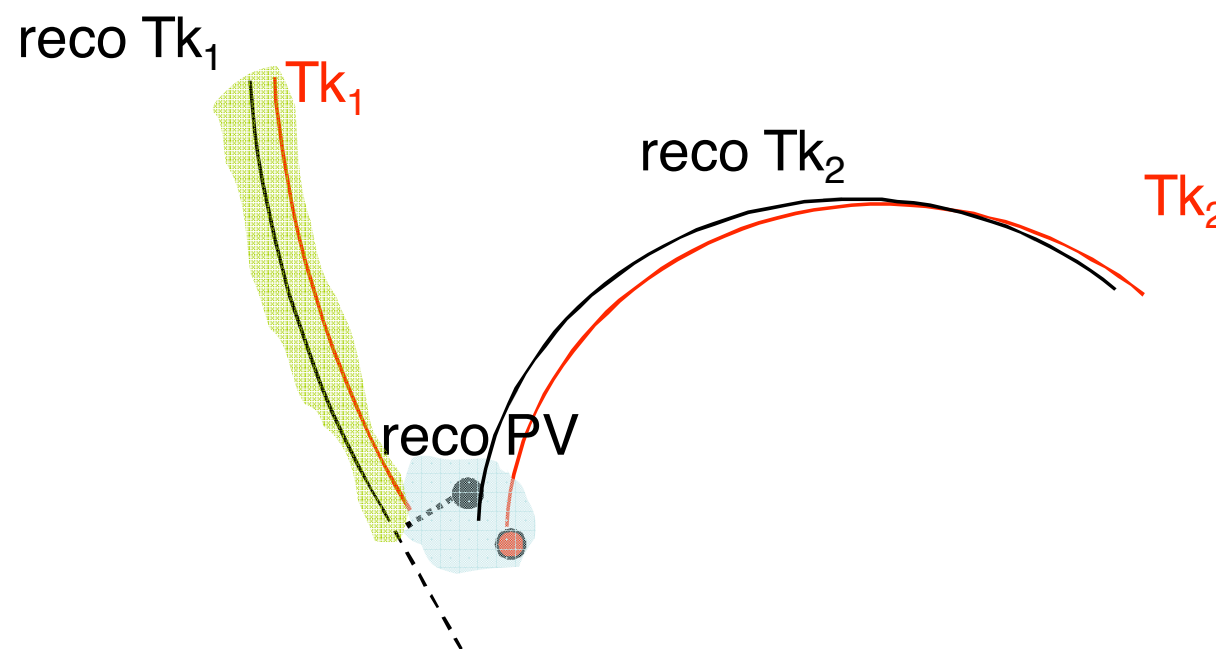
for TRK-10-005 Analysts

# Track IP Resolutions

# Track Impact Parameter Resolutions

- Track IP resolutions can be extracted from IP(pvtx position) by unfolding the vertex resolution in a data-driven way

$$d0_{\text{meas}} = d0_{\text{true}} \oplus \text{"vertex smearing"} \oplus \text{"track impact parameter resolution"}$$

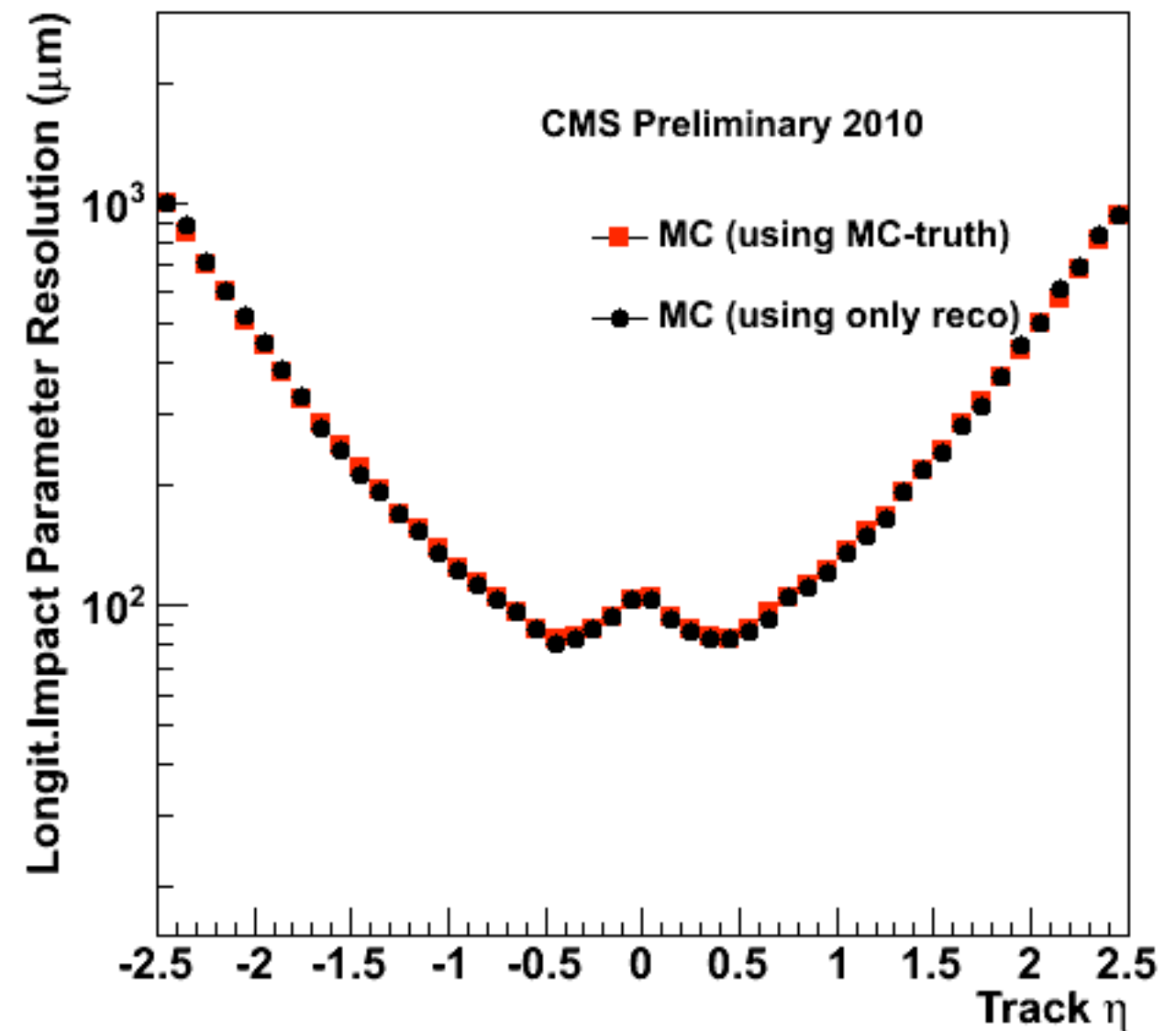
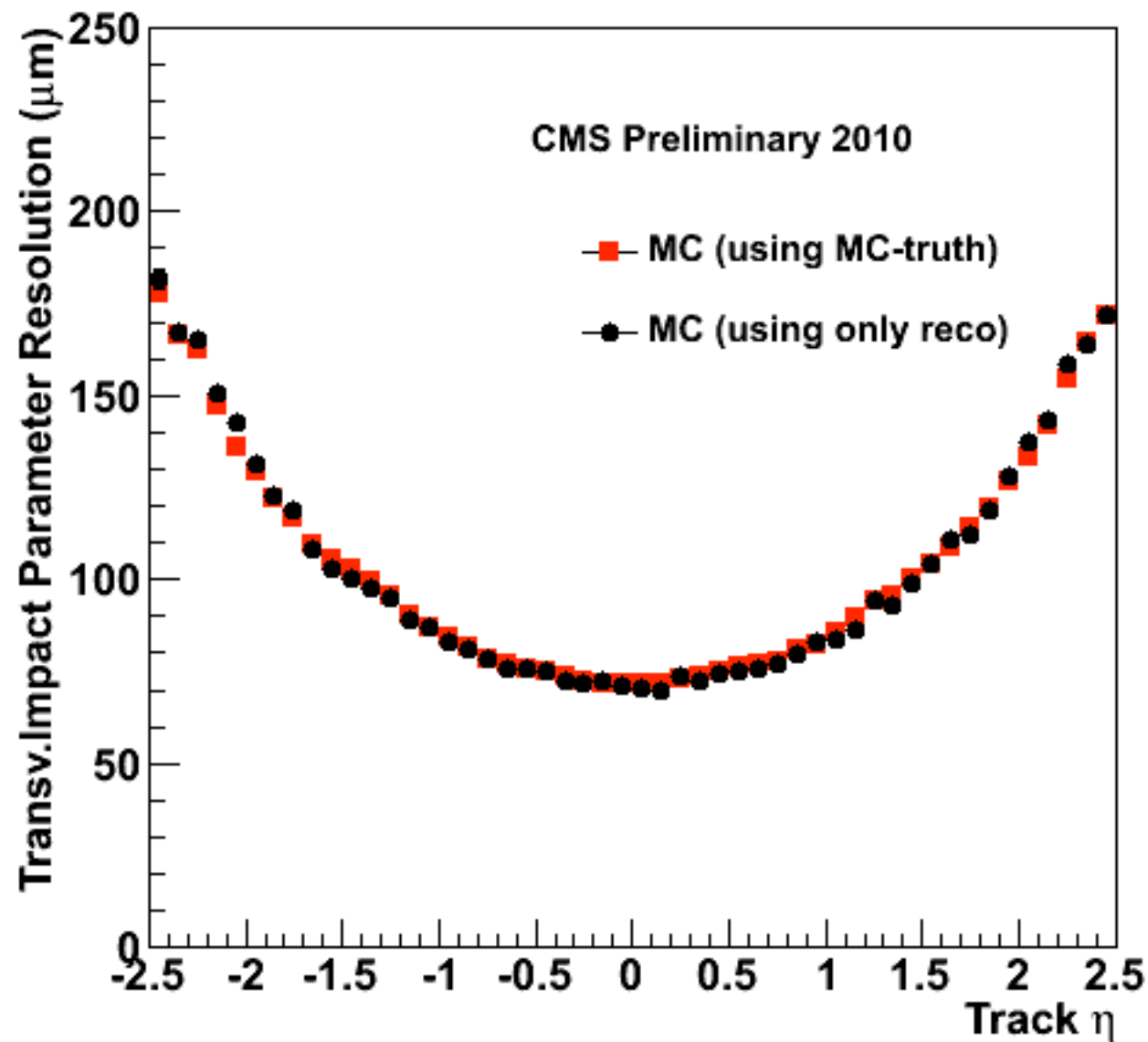


- This method can be validated in MC by comparing the results to the results obtained via MC-truth method (reco-sim)
- Details given at this talk by Boris Mangano

<http://indico.cern.ch/getFile.py/access?contribId=3&resId=1&materialId=slides&confId=84502>

# Method Validation on MC (I/2)

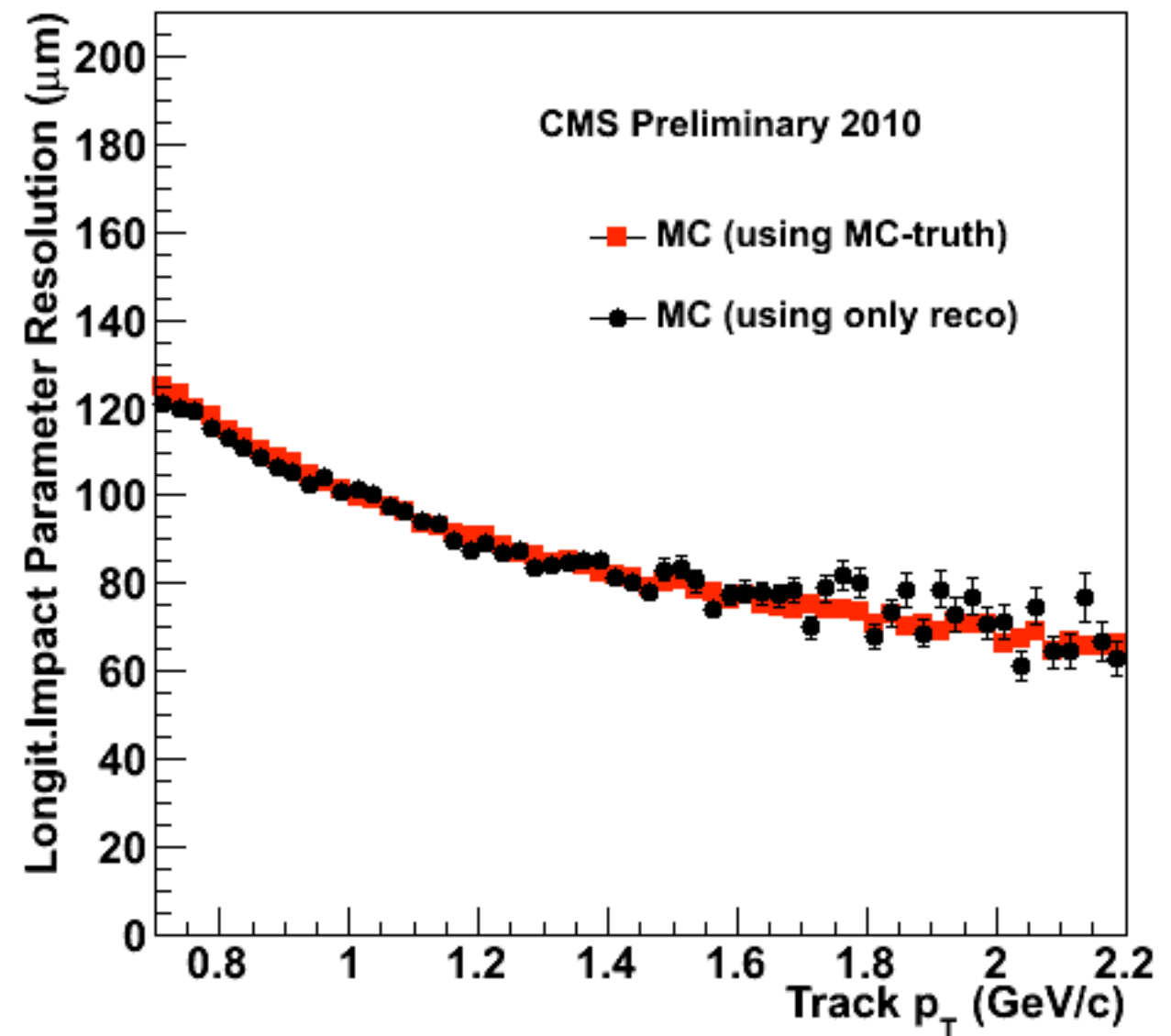
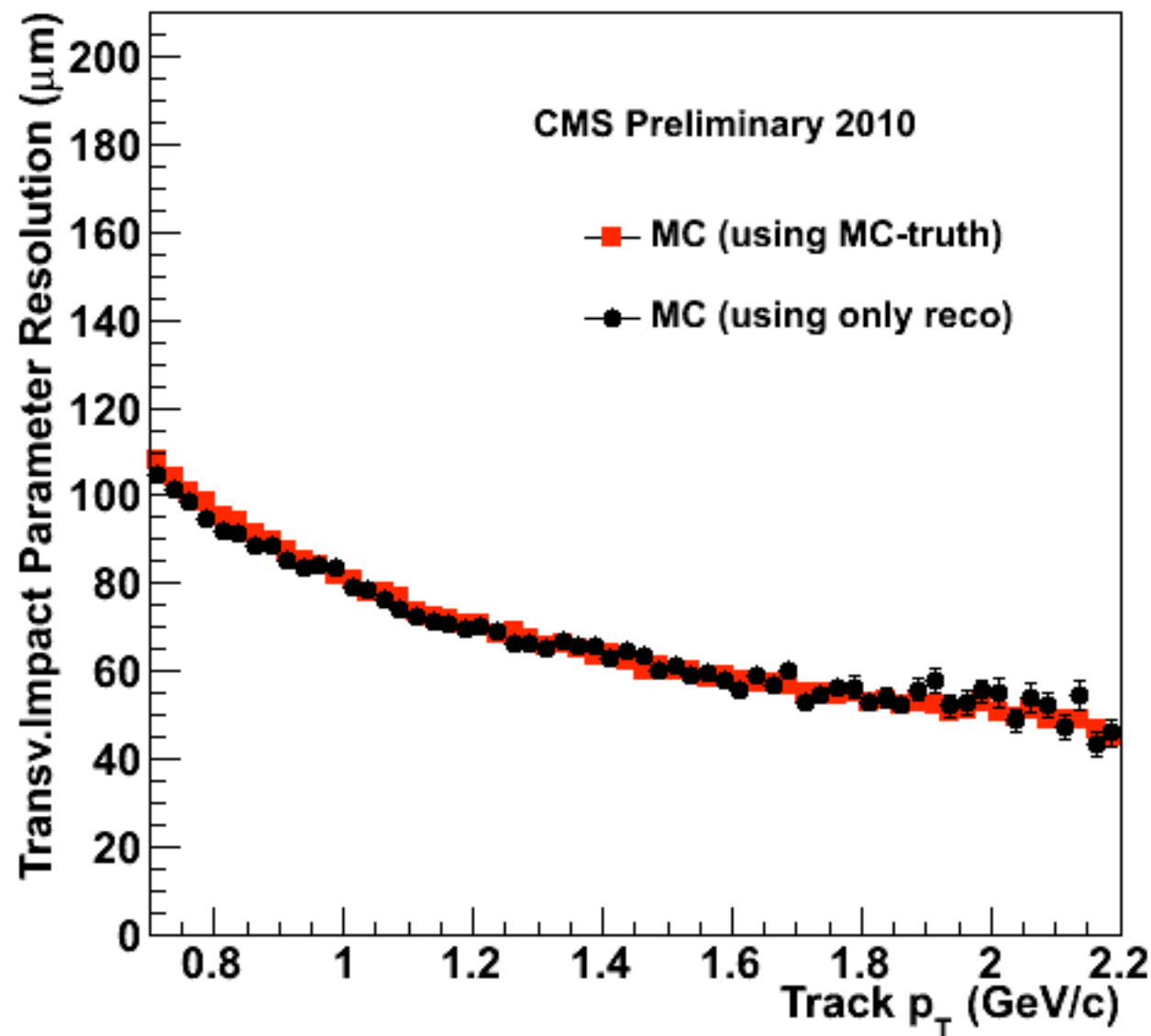
- IP resolutions vs eta, with  $p_T > 0.8$  GeV



...

# Method Validation on MC (2/2)

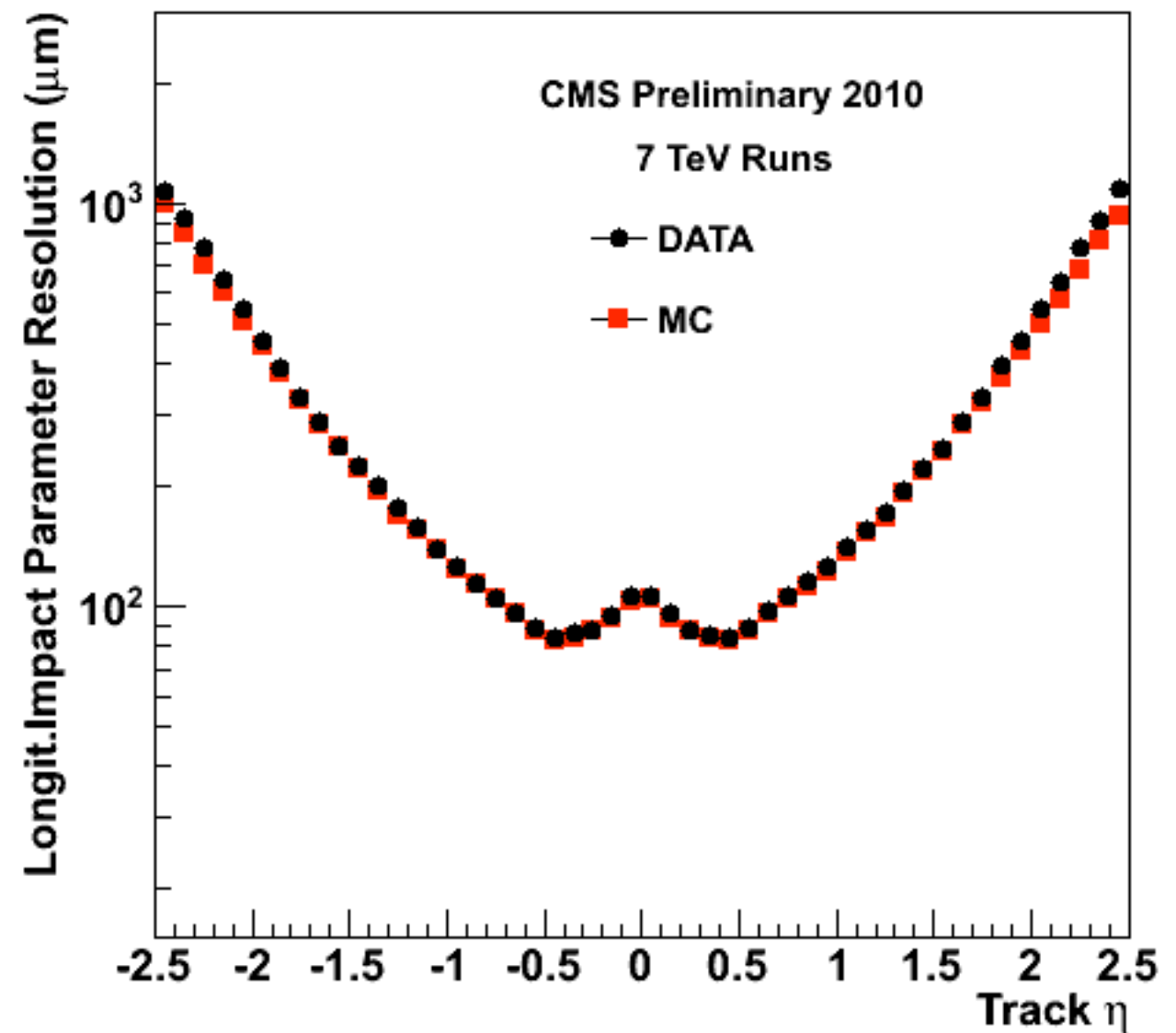
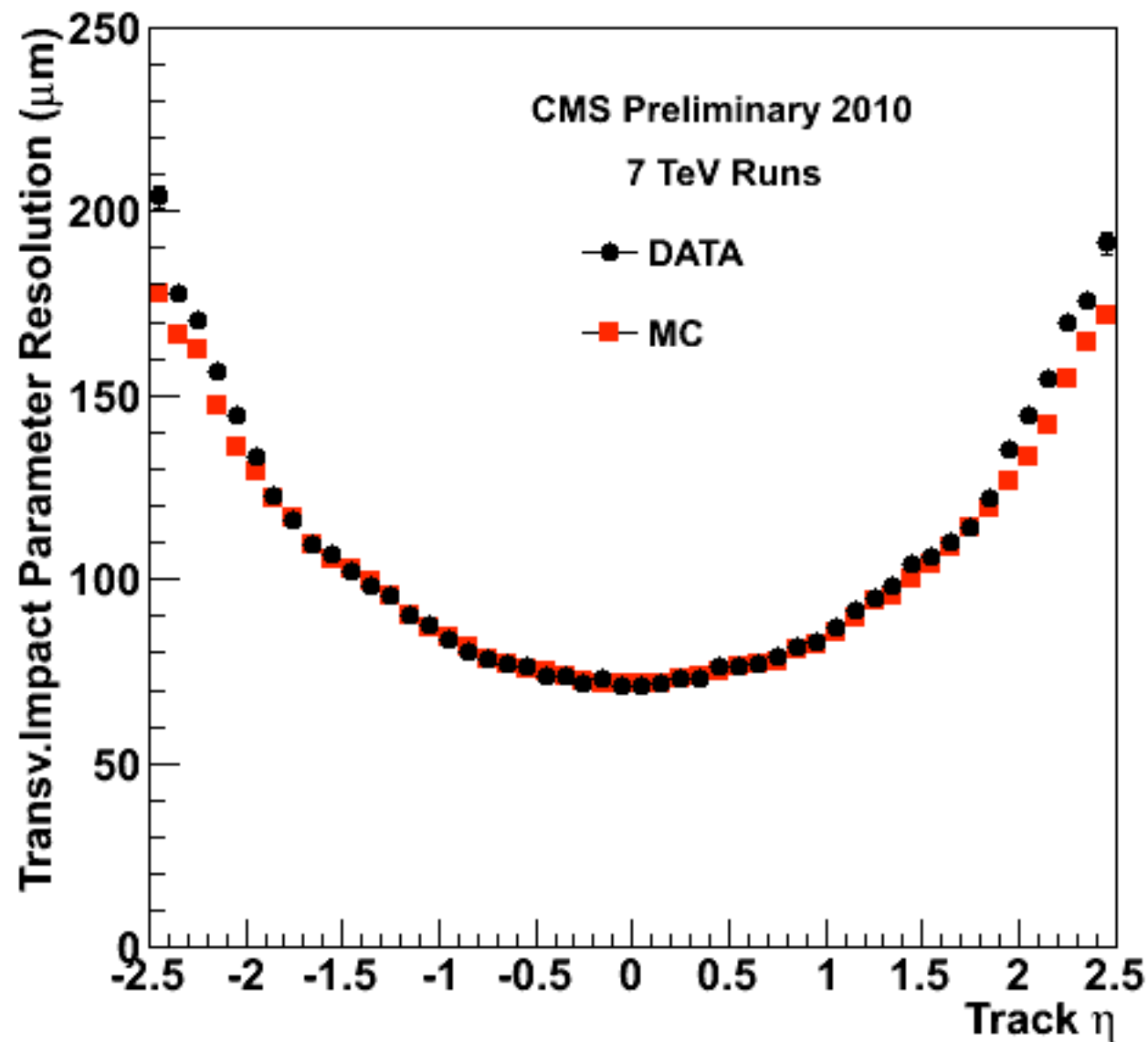
- IP resolutions vs  $p_T$



- The  $p_T$  range can be extended by running on the un-prescaled data skim

# Data-Driven Results on Data/MC (1/2)

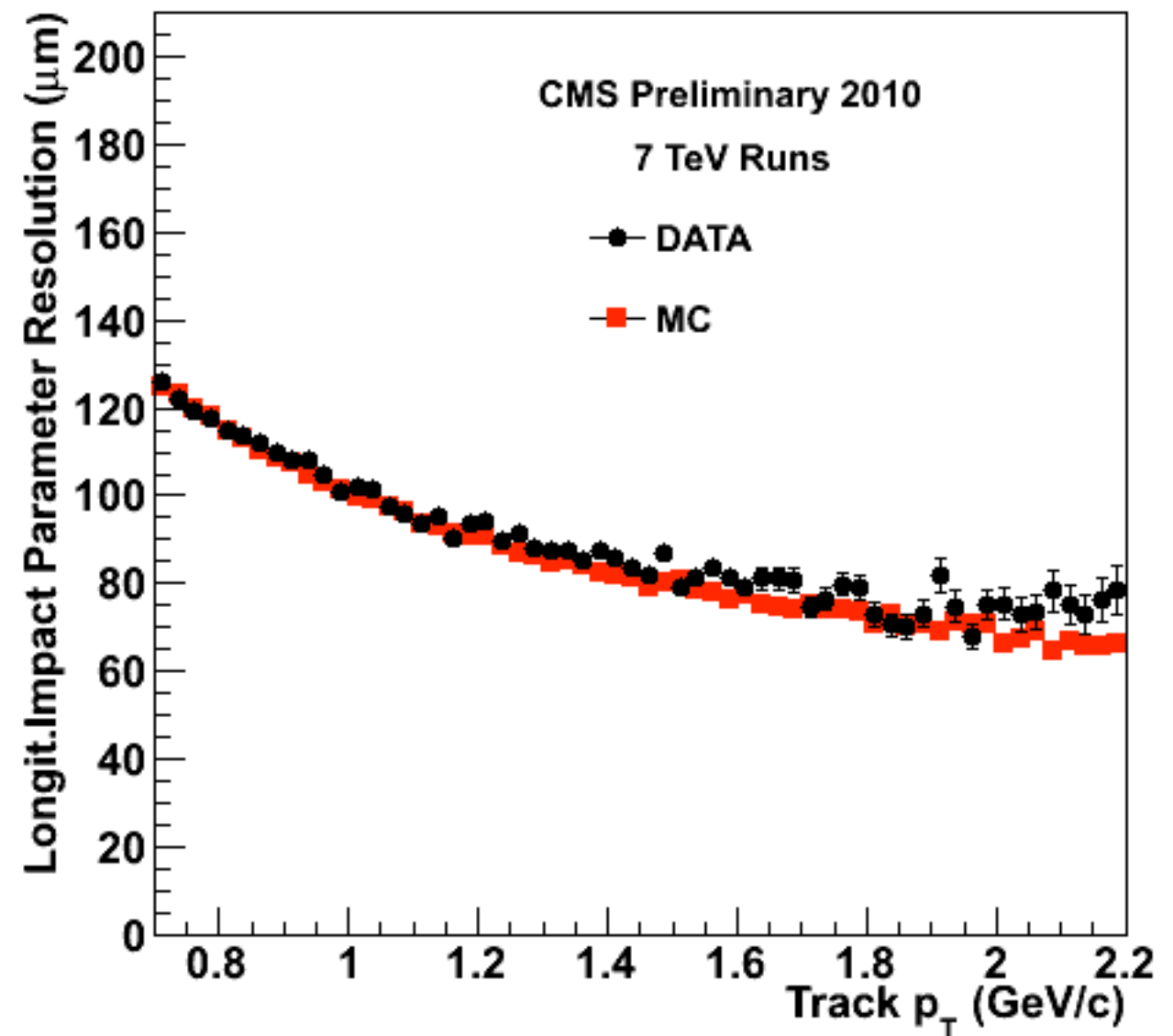
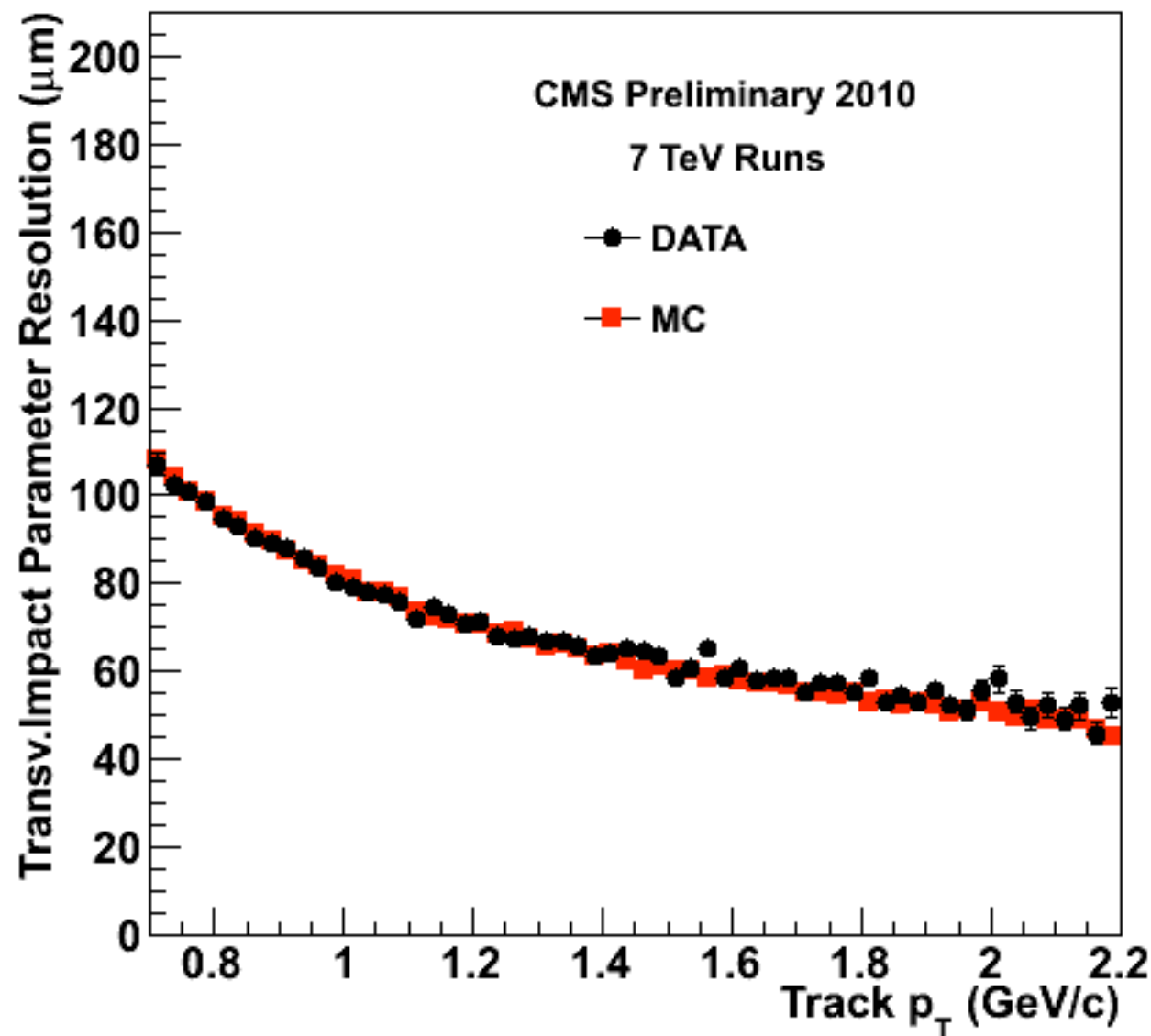
- IP resolutions vs eta with  $p_T > 0.8$  GeV (to be included in PAS)



- The discrepancies at high  $|\eta|$  region could be due to the data/MC difference in material or mis-alignment

# Data-Driven Results on Data/MC (2/2)

- IP resolutions vs  $p_T$  (to be included in PAS)



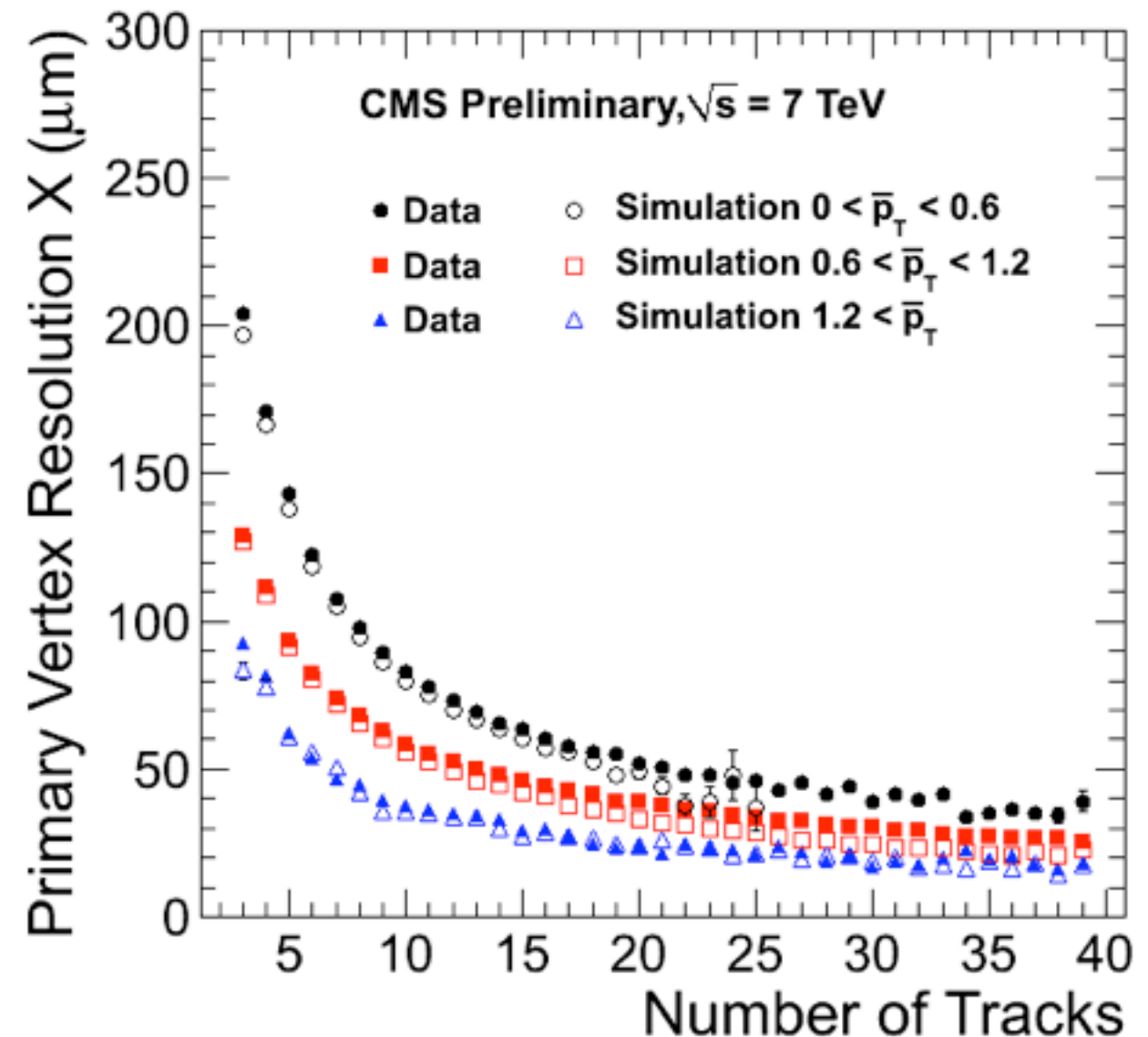
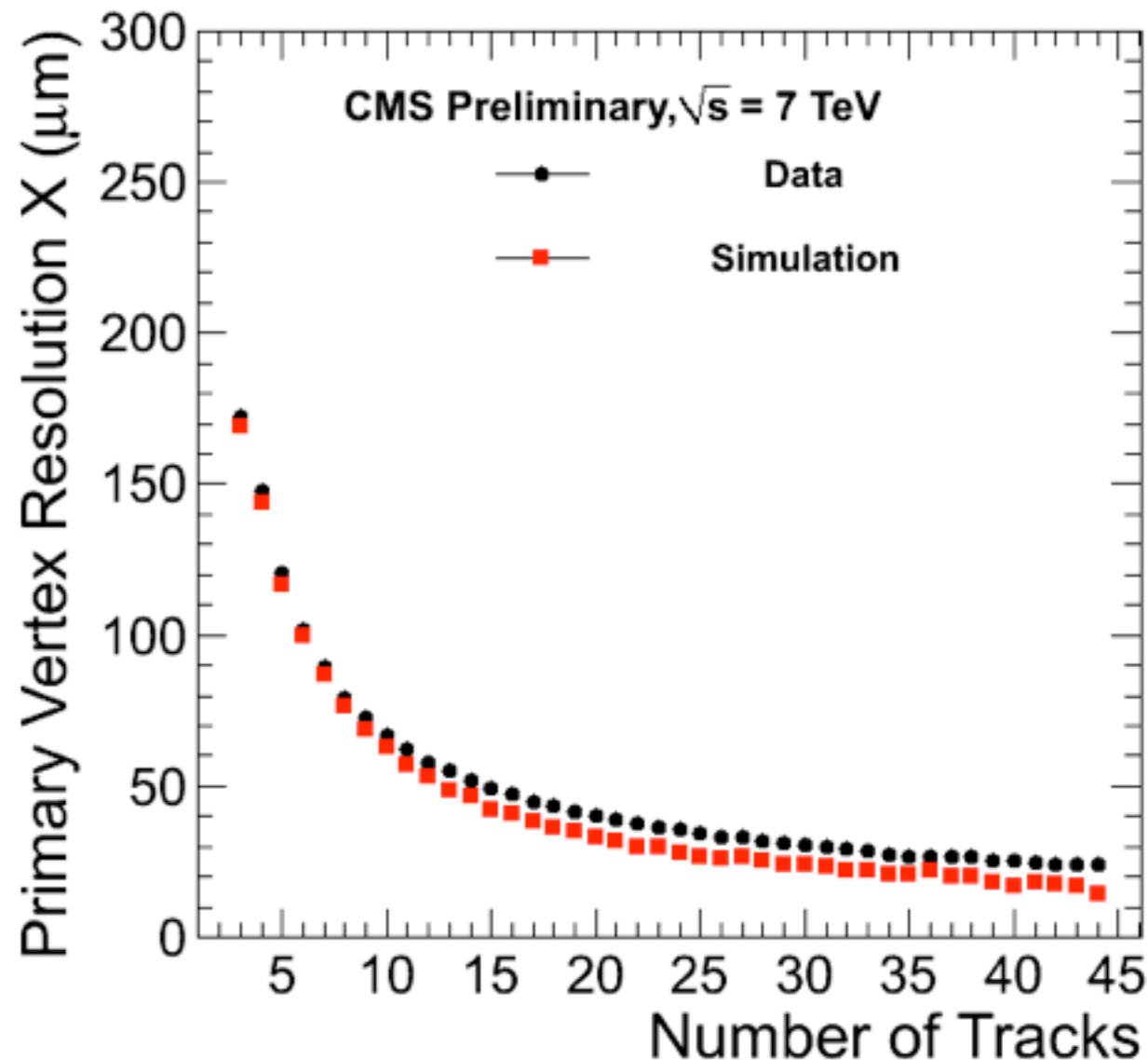
- The last a few bins will be improved with more statistics and selecting hard interaction trigger bits (JET6?)

# Primary Vertex Reconstruction: Resolution and PileUp



# Primary Vertex Resolution X vs nTrack

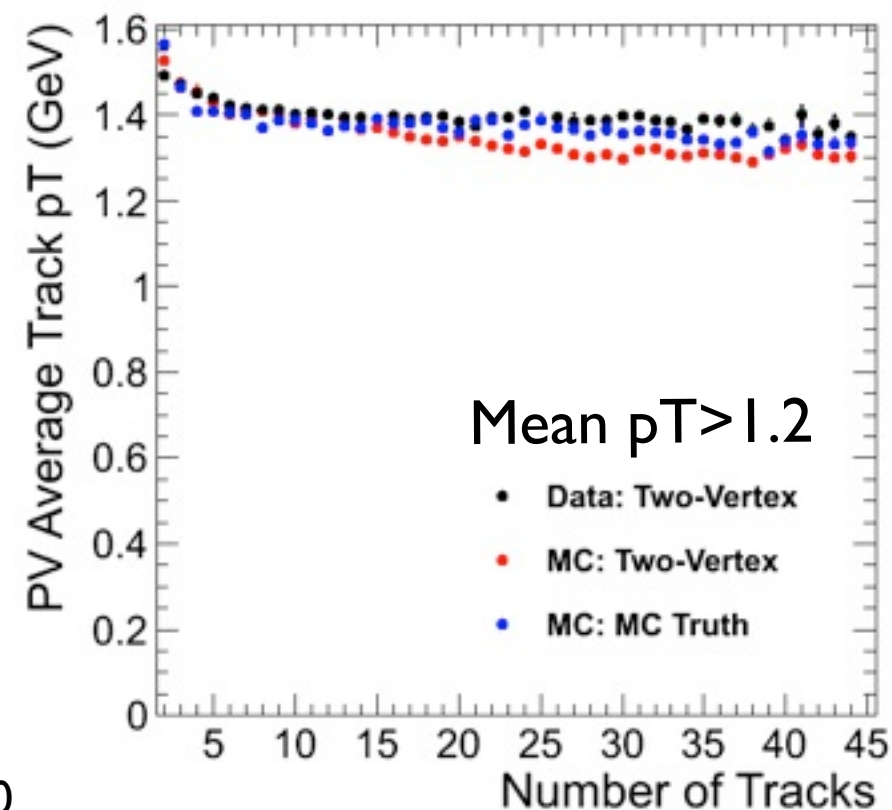
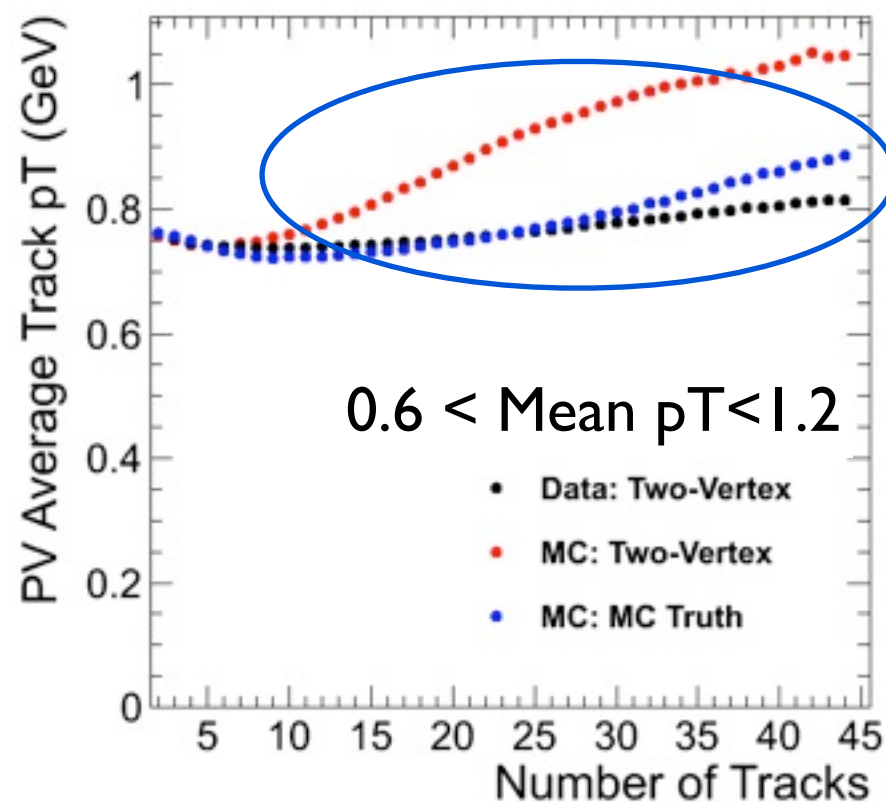
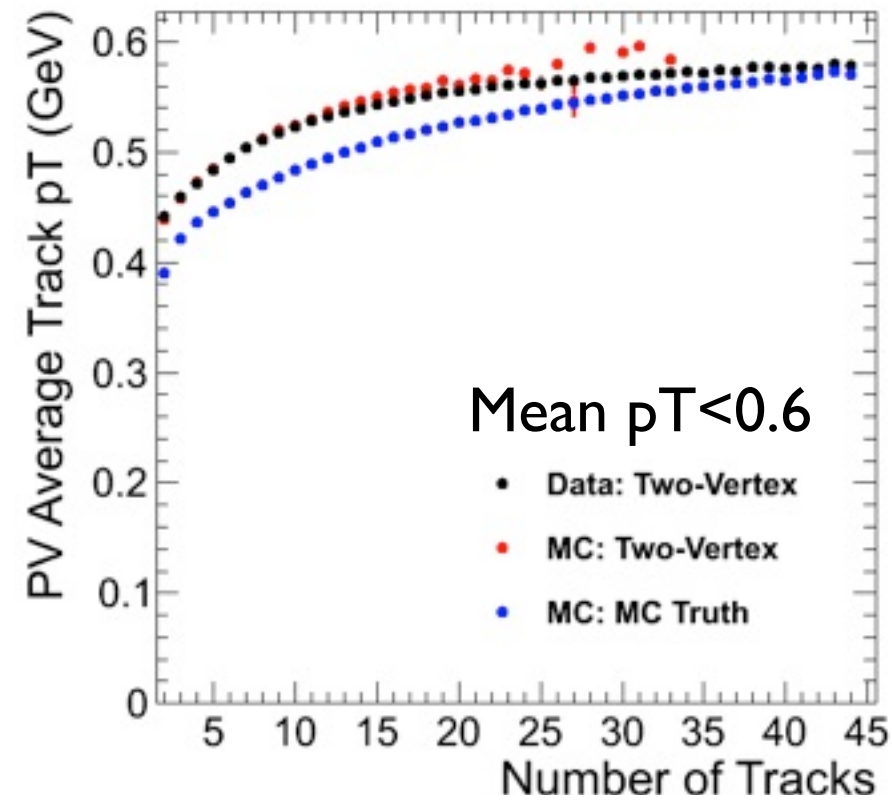
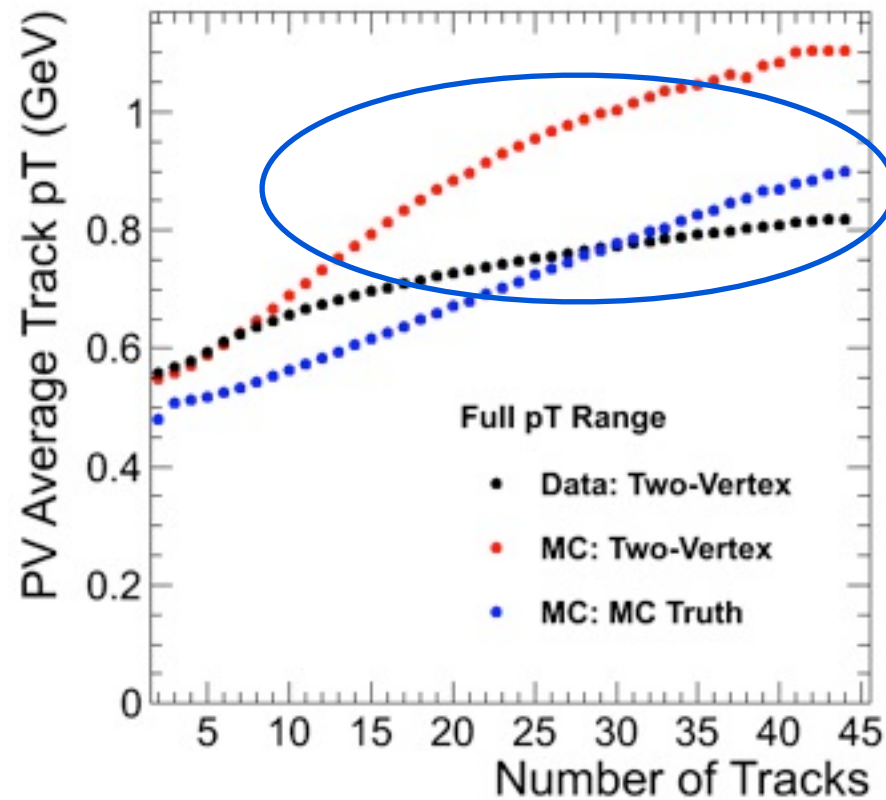
- Strong dependence on the  $p_T$  of the vertex in the low end



- In the high nTrack region, the data resolution is slightly larger than MC
- This difference is due to the data/MC difference in the track  $p_T$  (slide X)
- Plots to be included in PAS

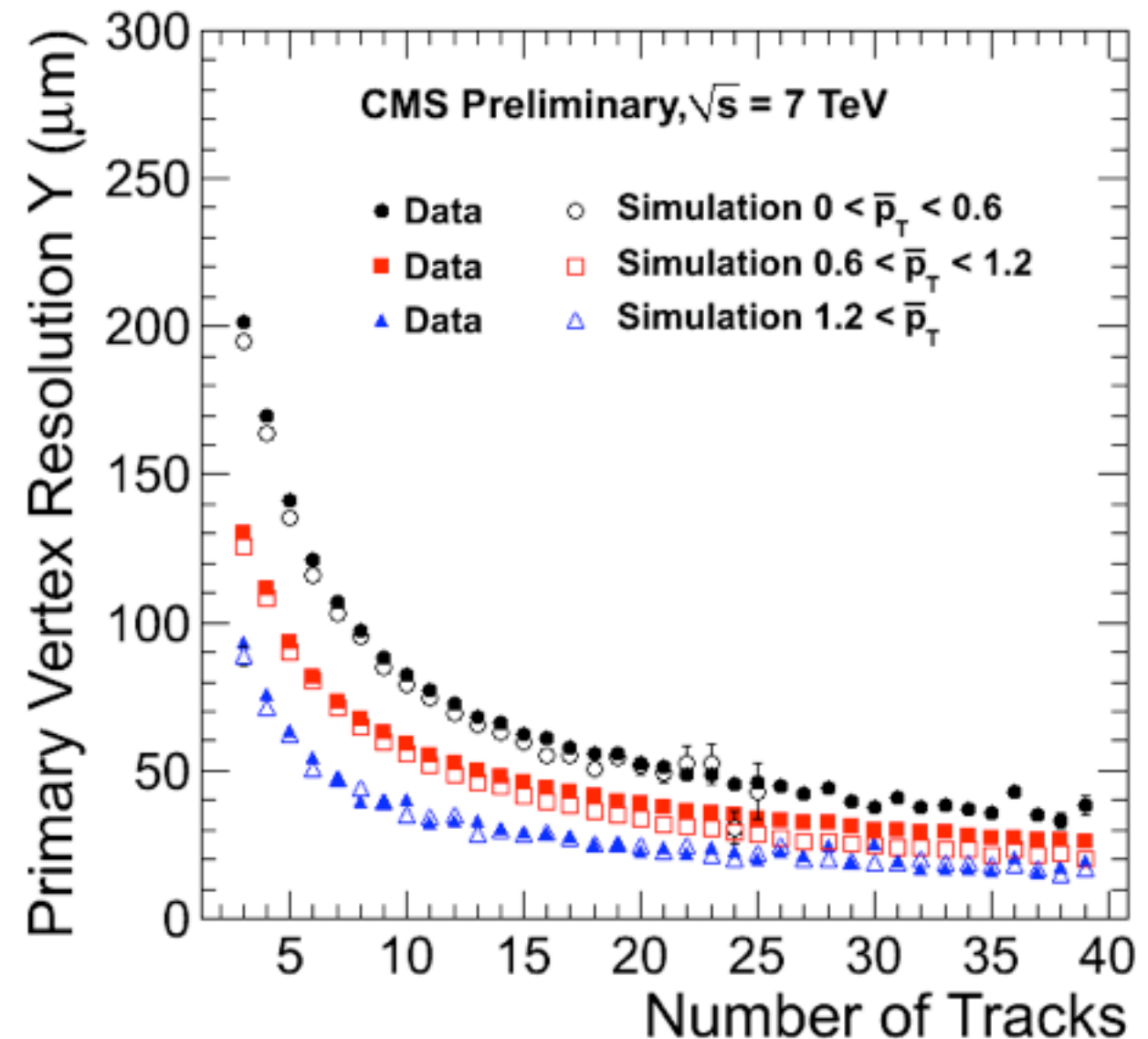
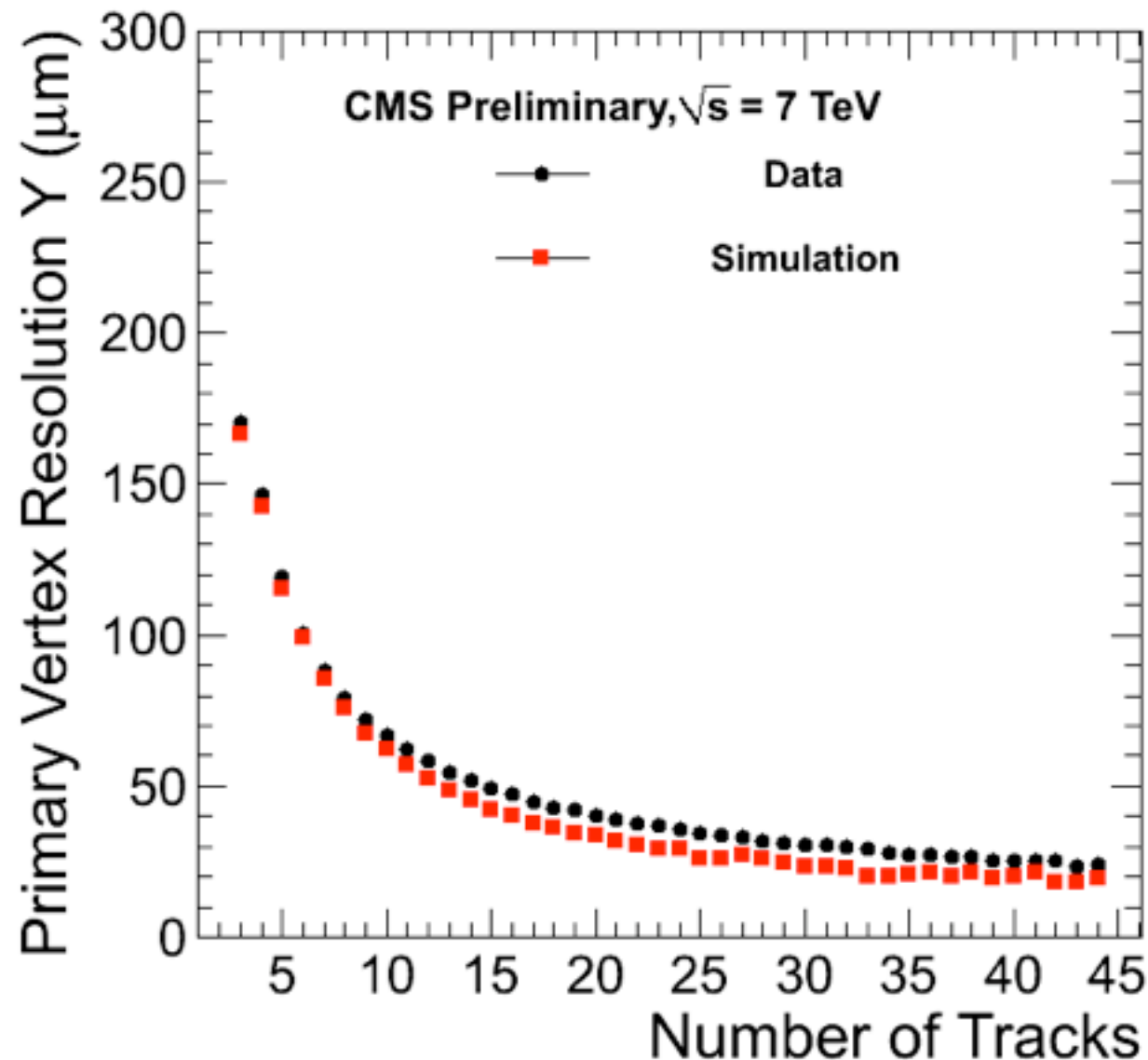
# Average Track pT in Vertex

- pT difference drives the data/MC discrepancy in the tail in Res



# Primary Vertex Resolution $\Upsilon$ vs nTrack

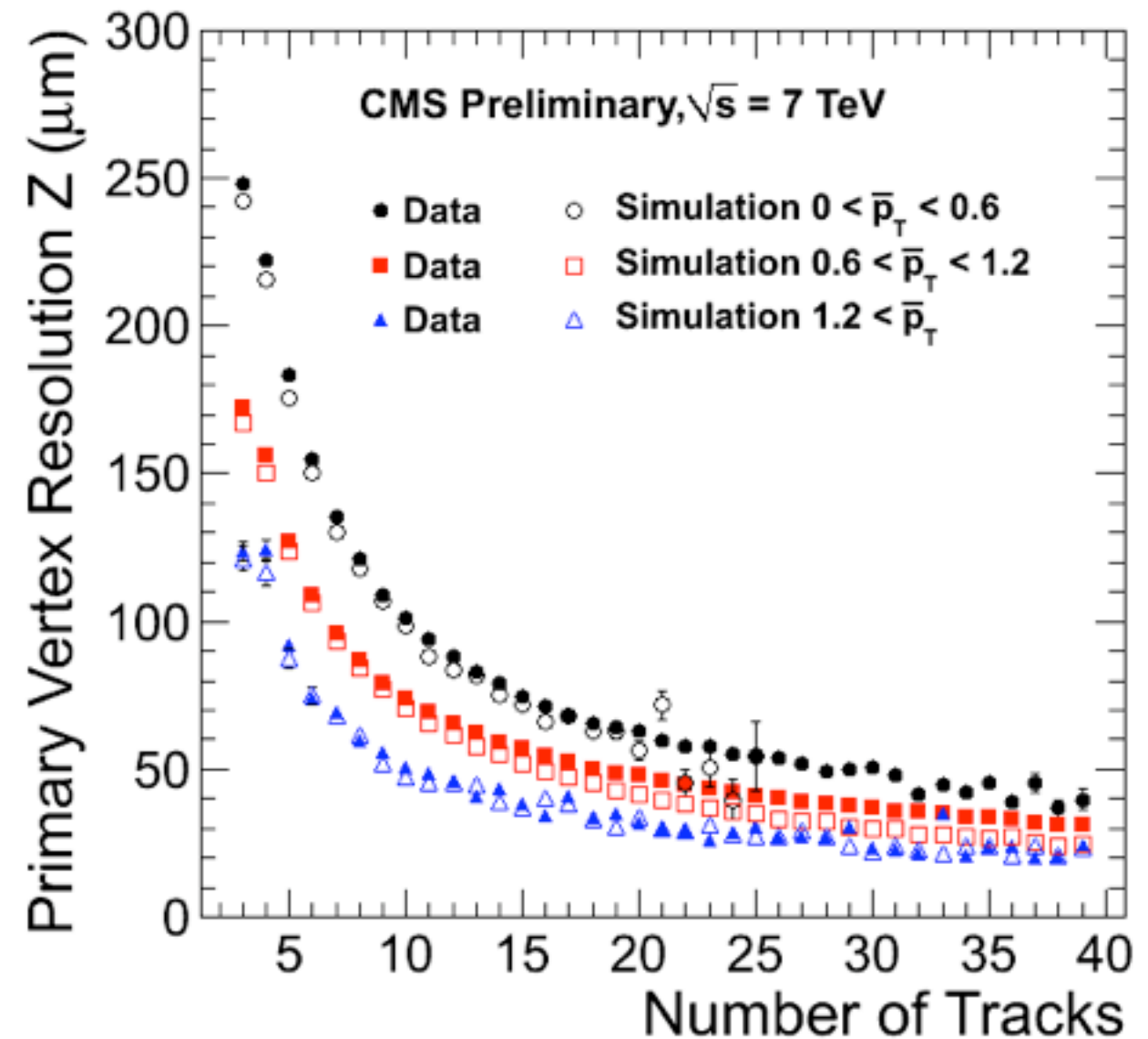
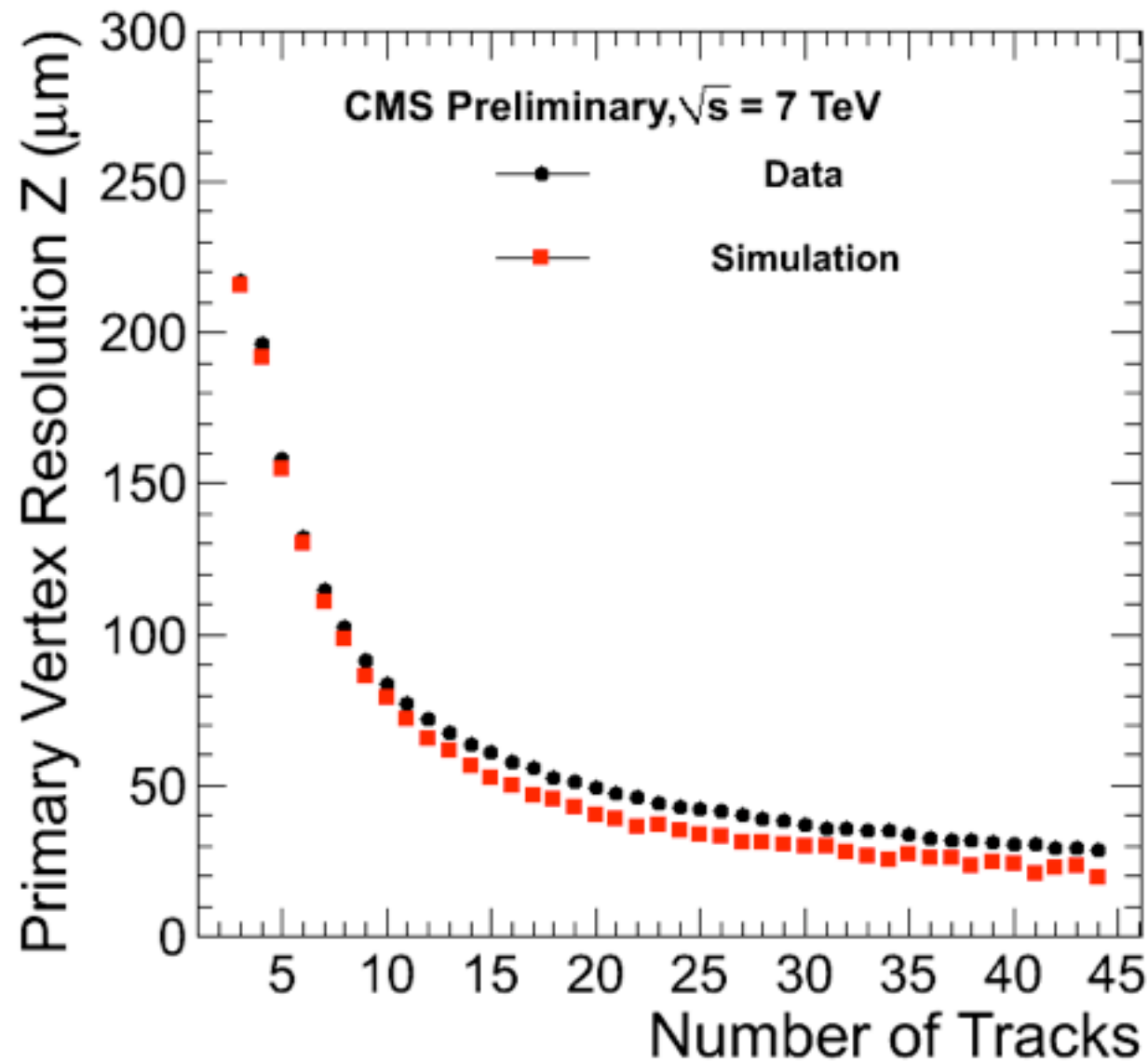
- Strong dependence on the  $p_T$  of the vertex in the low end



- In the high nTrack region, the data resolution is slightly larger than MC
- This difference is due to the data/MC difference in the track  $p_T$  (slide X)
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# Primary Vertex Resolution $Z$ vs nTrack

- Strong dependence on the  $p_T$  of the vertex in the low end

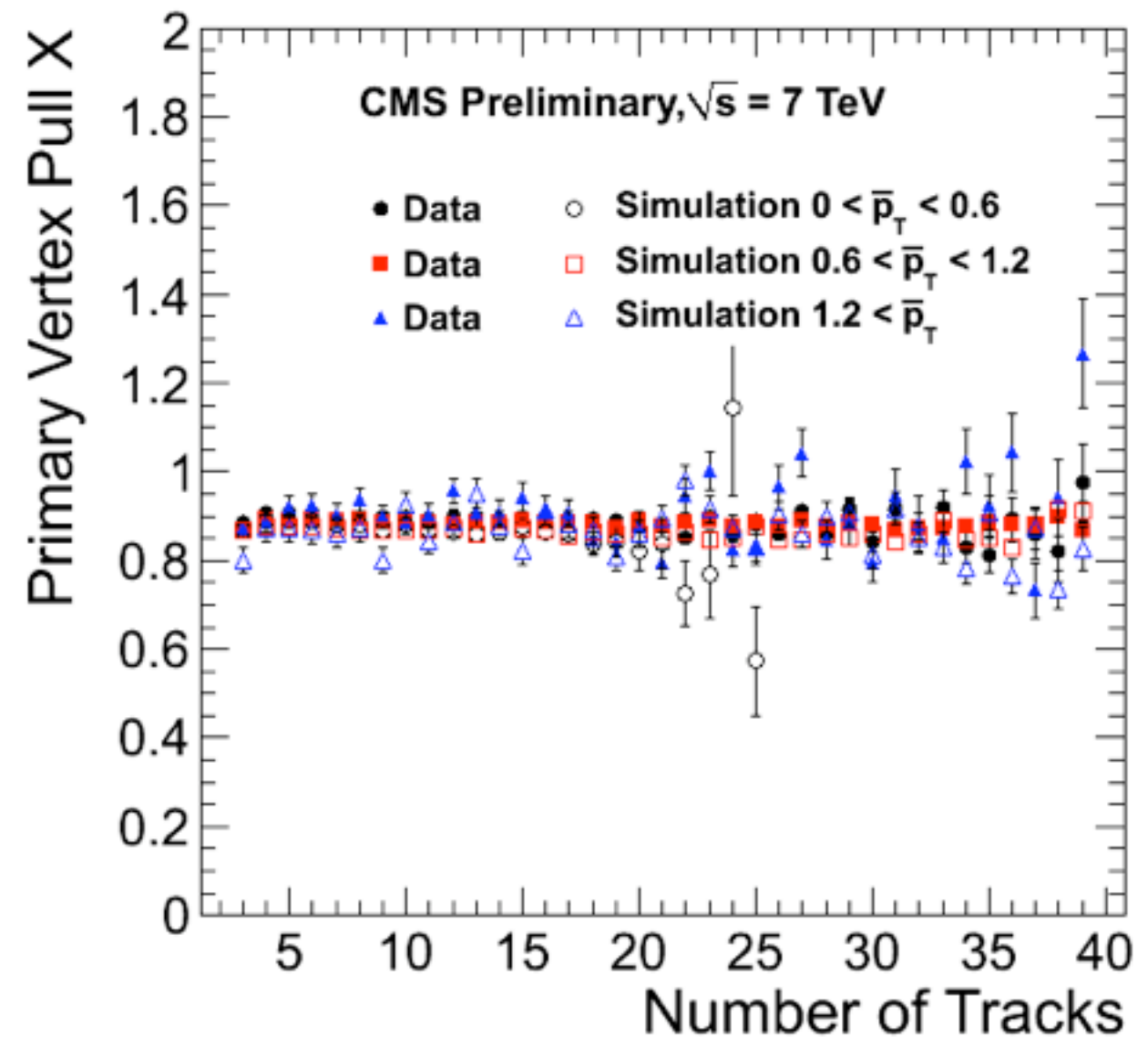
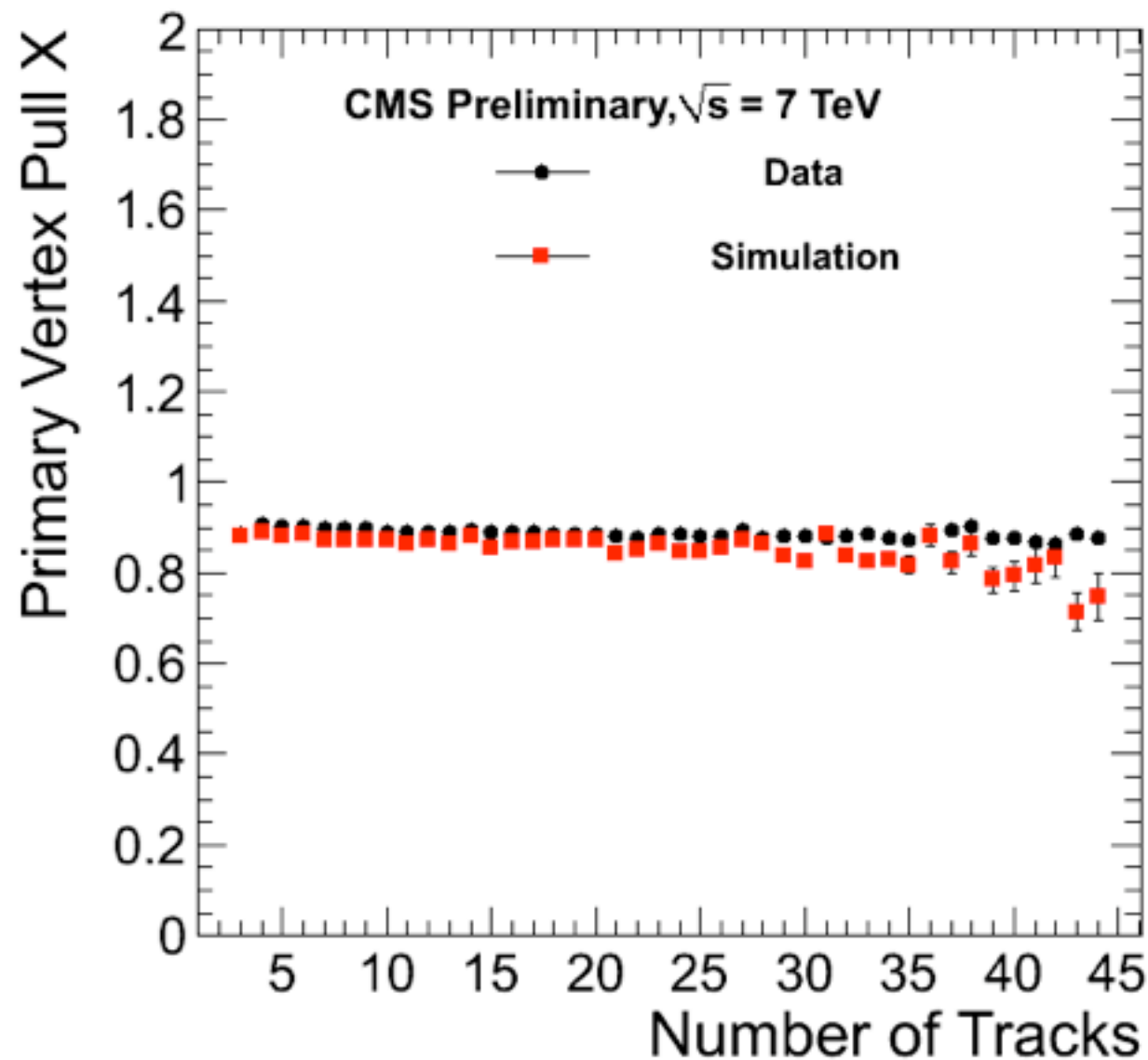


- In the high nTrack region, the data resolution is slighter larger than MC
- This difference is due to the data/MC difference in the track  $p_T$
- Plots to be included in PAS



# Primary Vertex Pull X vs nTrack

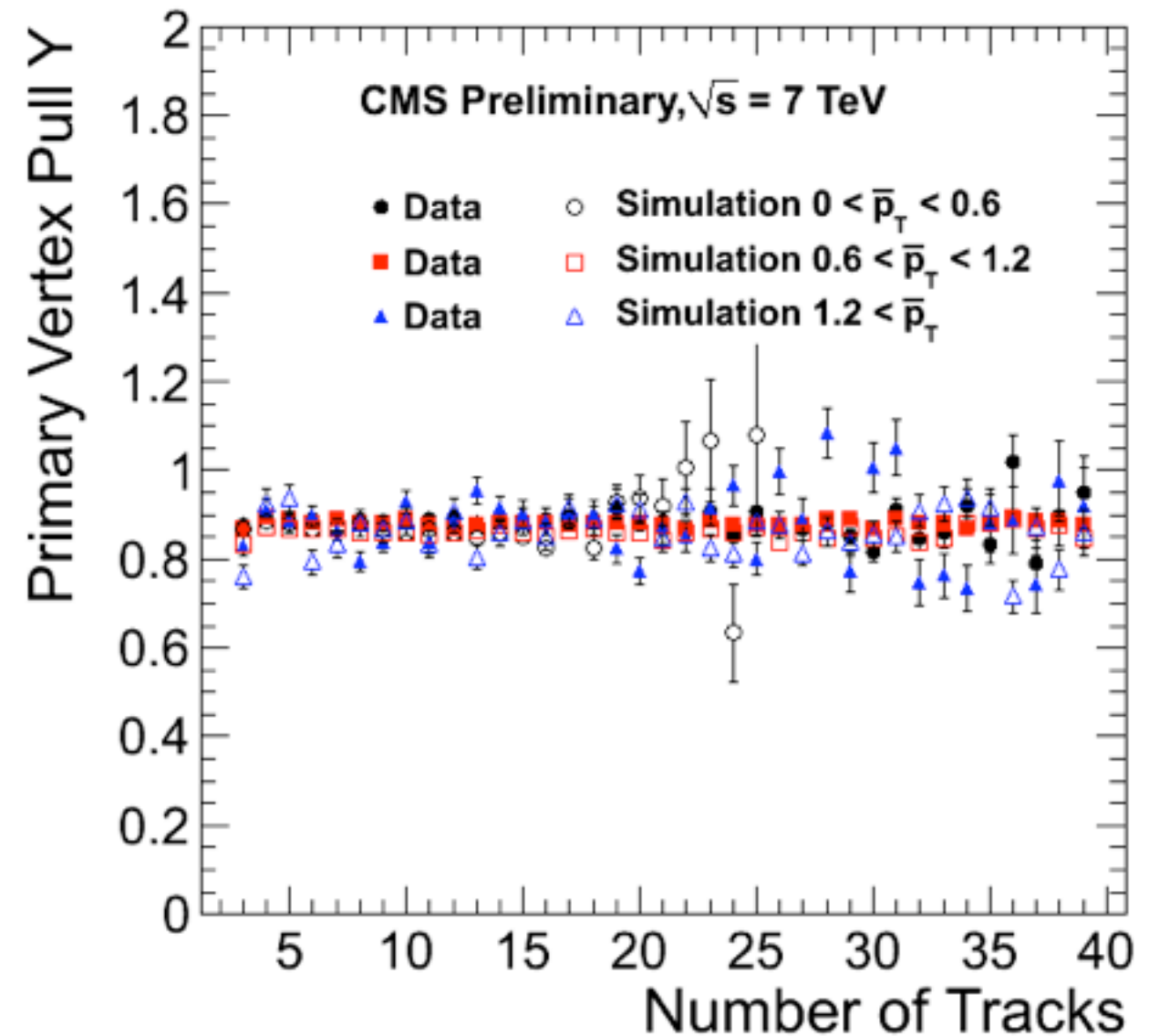
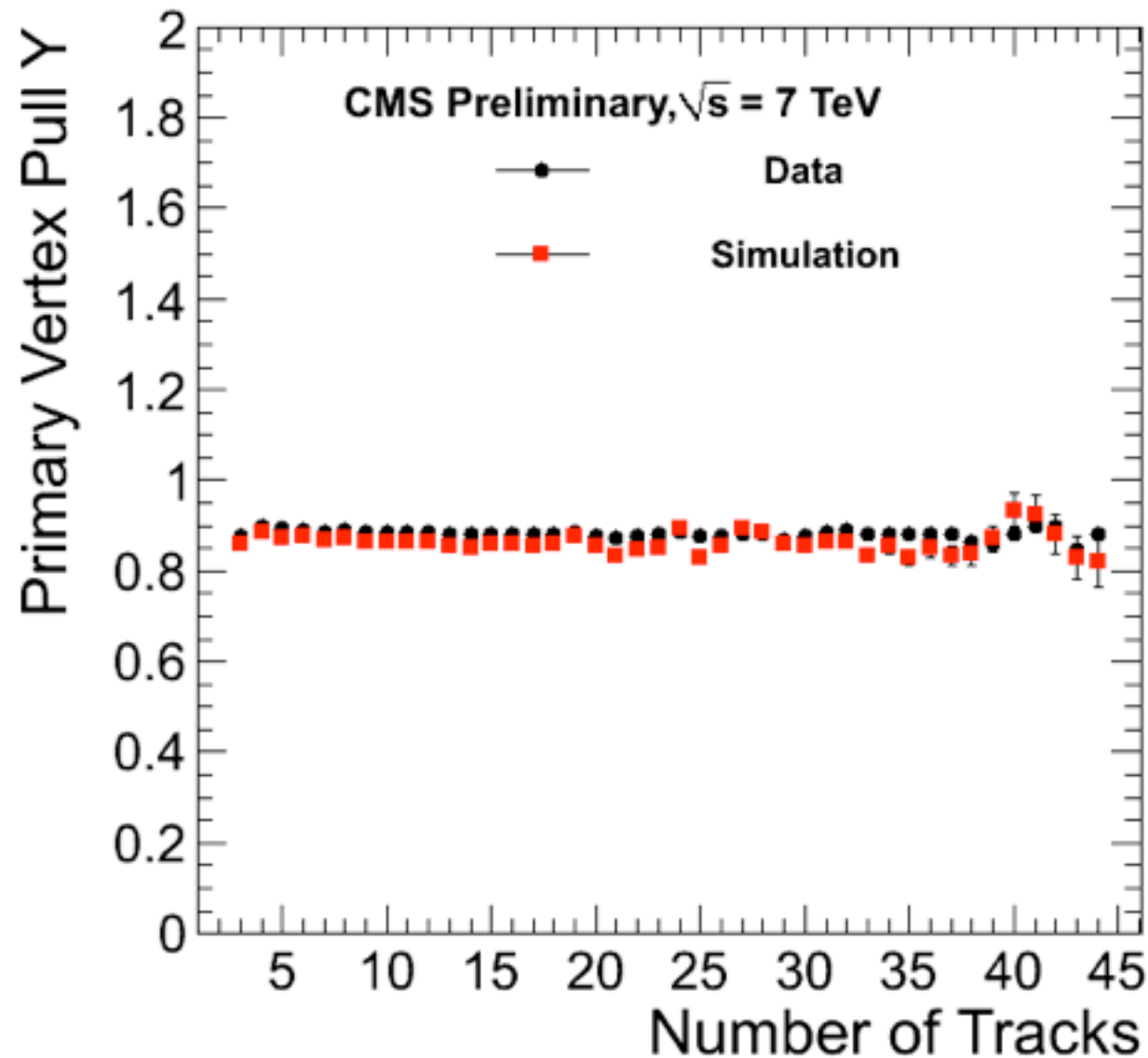
- Pull has an average of  $\sim 0.9$ , indicating the error is overestimated



- Plots to be included in PAS

# Primary Vertex Pull Y vs nTrack

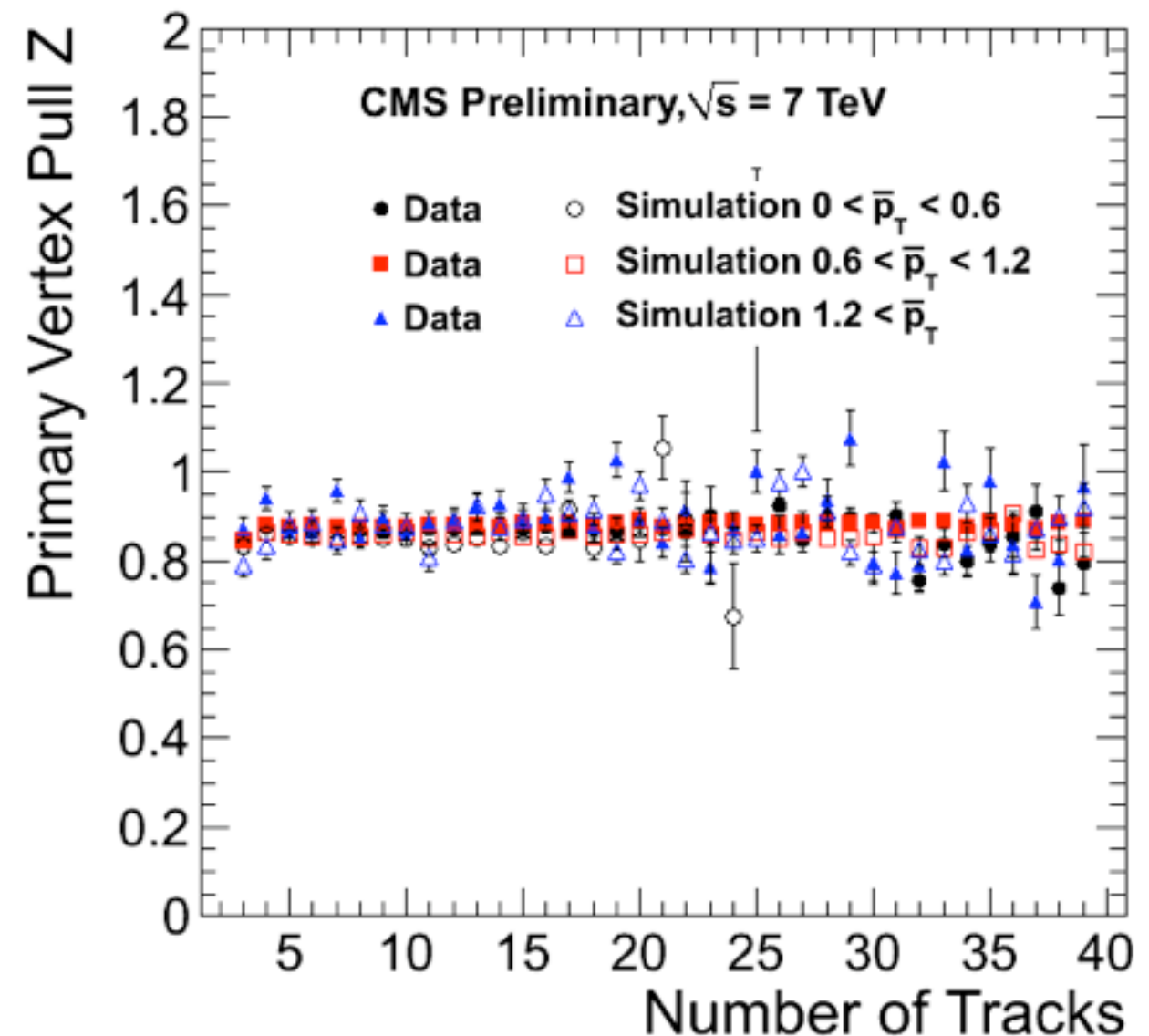
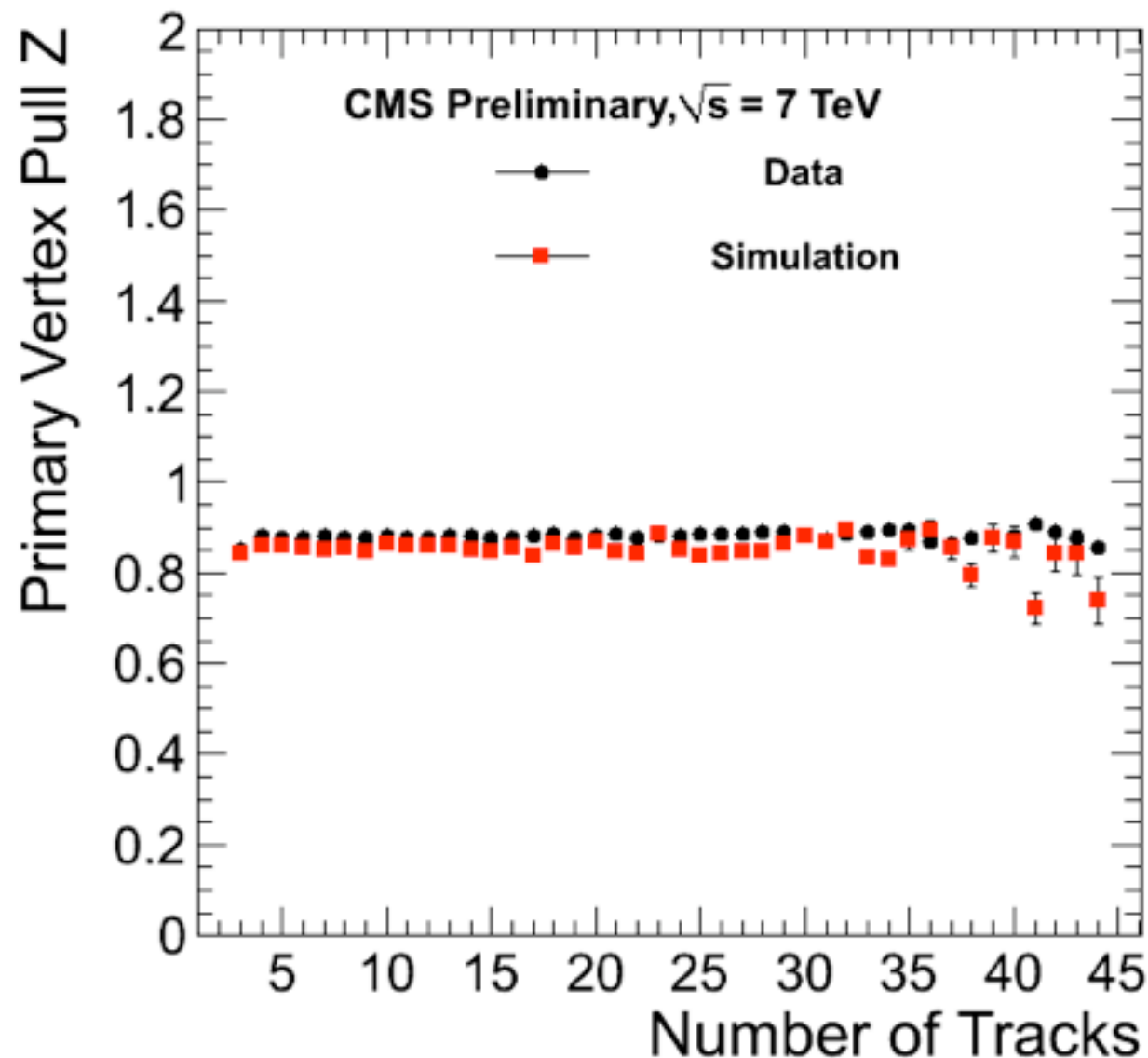
- Pull has an average of  $\sim 0.9$ , indicating the error is overestimated



- Plots to be included in PAS

# Primary Vertex Pull $Z$ vs nTrack

- Pull has an average of  $\sim 0.9$ , indicating the error is overestimated



- Plots to be included in PAS

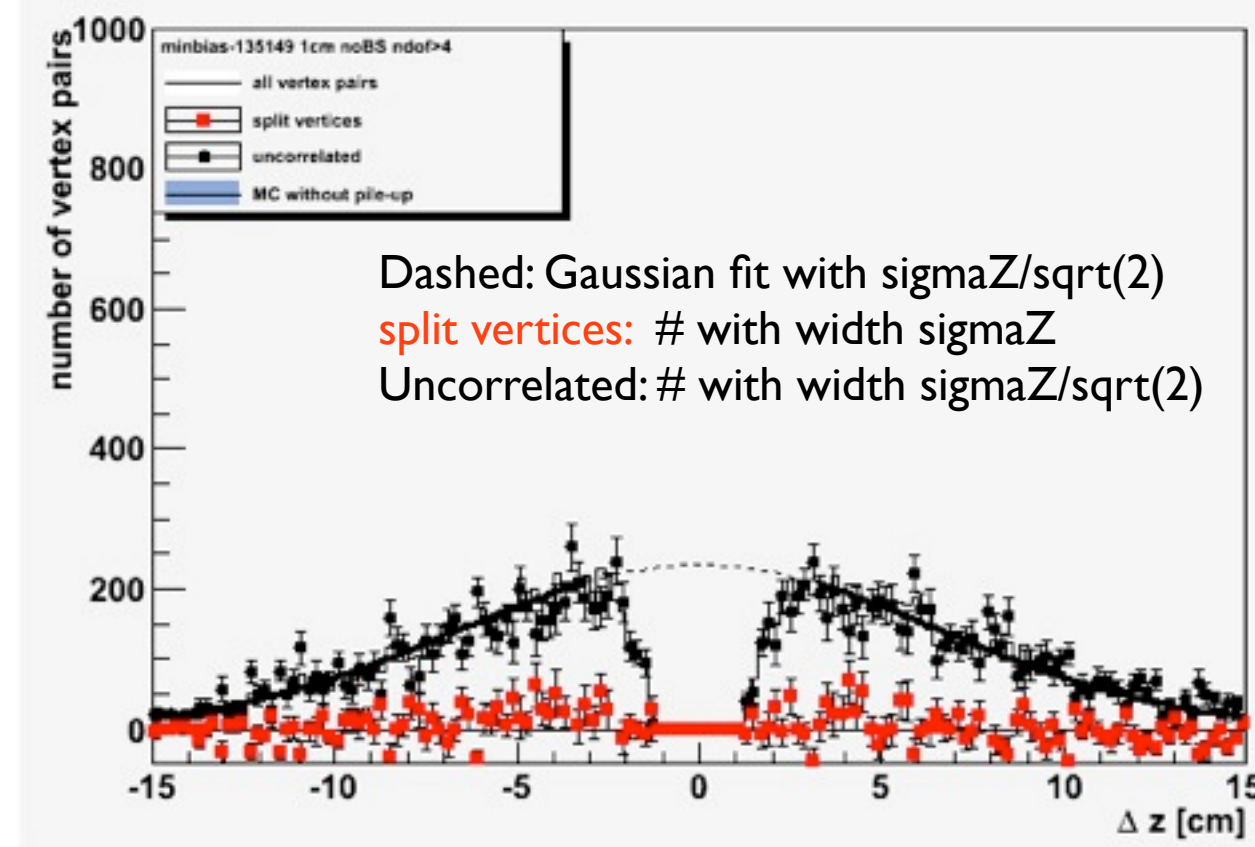
# Pile Up Estimation

- Given  $>1$  vertices reconstructed, how often do they represent genuine PUs rather than fake vertices from splitting?
- Exploit the z-correlation of vertex pairs

- Genuine PU vertex pairs are uncorrelated in z

$$\exp\left[-\frac{1}{2}\frac{z_1^2}{\sigma_z^2}\right]\exp\left[-\frac{1}{2}\frac{z_2^2}{\sigma_z^2}\right] = \exp\left[-\frac{1}{2}\frac{(z_1 - z_2)^2}{(\sqrt{2}\sigma_z)^2}\right]\exp\left[-\frac{1}{2}\frac{\bar{z}^2}{(\sqrt{1/2}\sigma_z)^2}\right]$$

- Split vertex pairs have  $z_1 \sim z_2$ ,  $(z_1+z_2)/2$  with width  $\sigma_z$  (BS)



Wolfram Erdmann

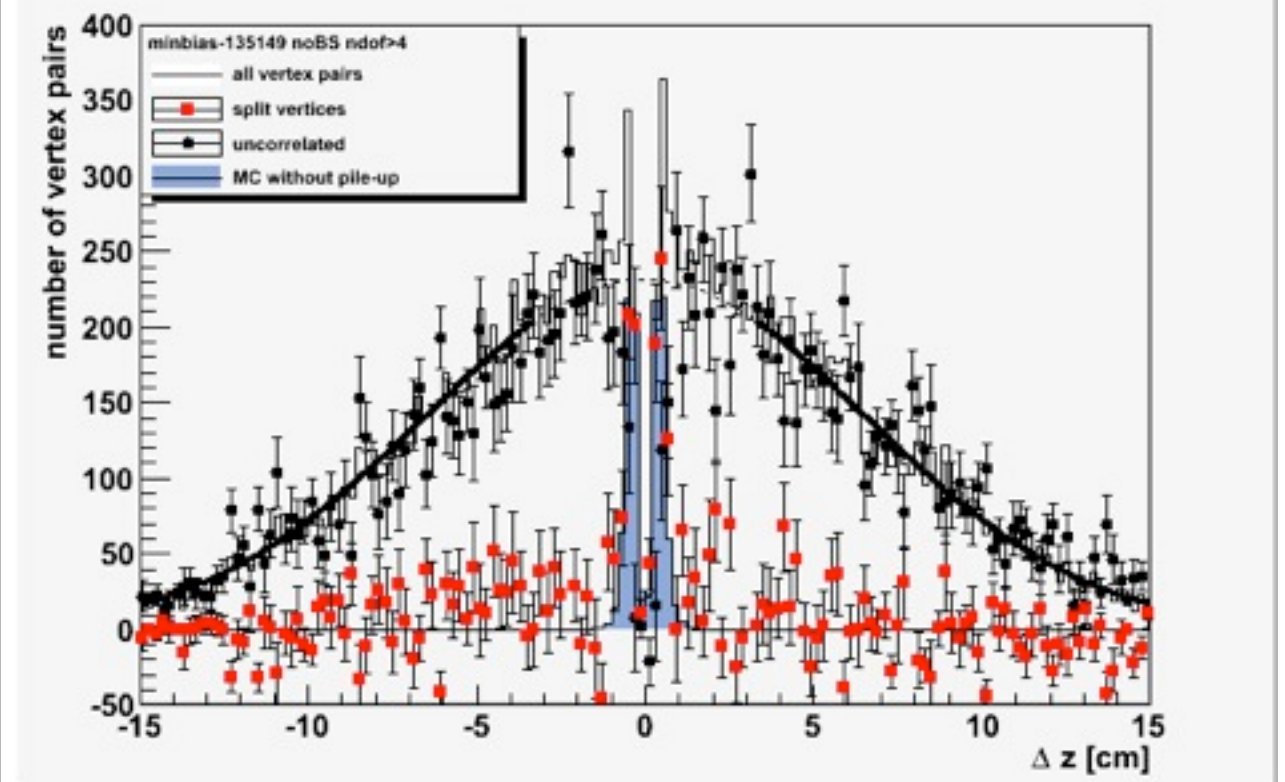
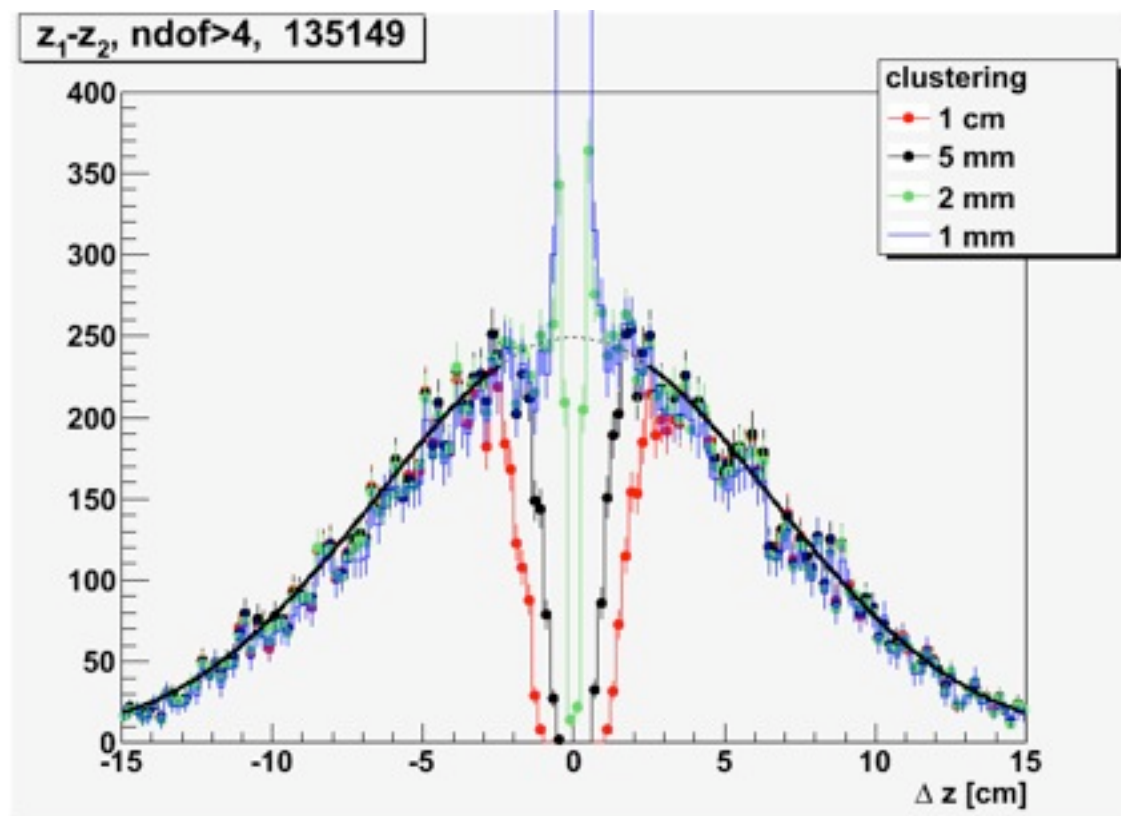


# PileUp Estimation

- Given  $>1$  vertices reconstructed, how often do they represent genuine PUs rather than fake vertices from splitting?
- Exploit the z-correlation of vertex pairs
  - Genuine PU vertex pairs are uncorrelated in z (slide X)

$$\exp\left[-\frac{1}{2}\frac{z_1^2}{\sigma_z^2}\right]\exp\left[-\frac{1}{2}\frac{z_2^2}{\sigma_z^2}\right] = \exp\left[-\frac{1}{2}\frac{(z_1 - z_2)^2}{(\sqrt{2}\sigma_z)^2}\right]\exp\left[-\frac{1}{2}\frac{\bar{z}^2}{(\sqrt{1/2}\sigma_z)^2}\right]$$

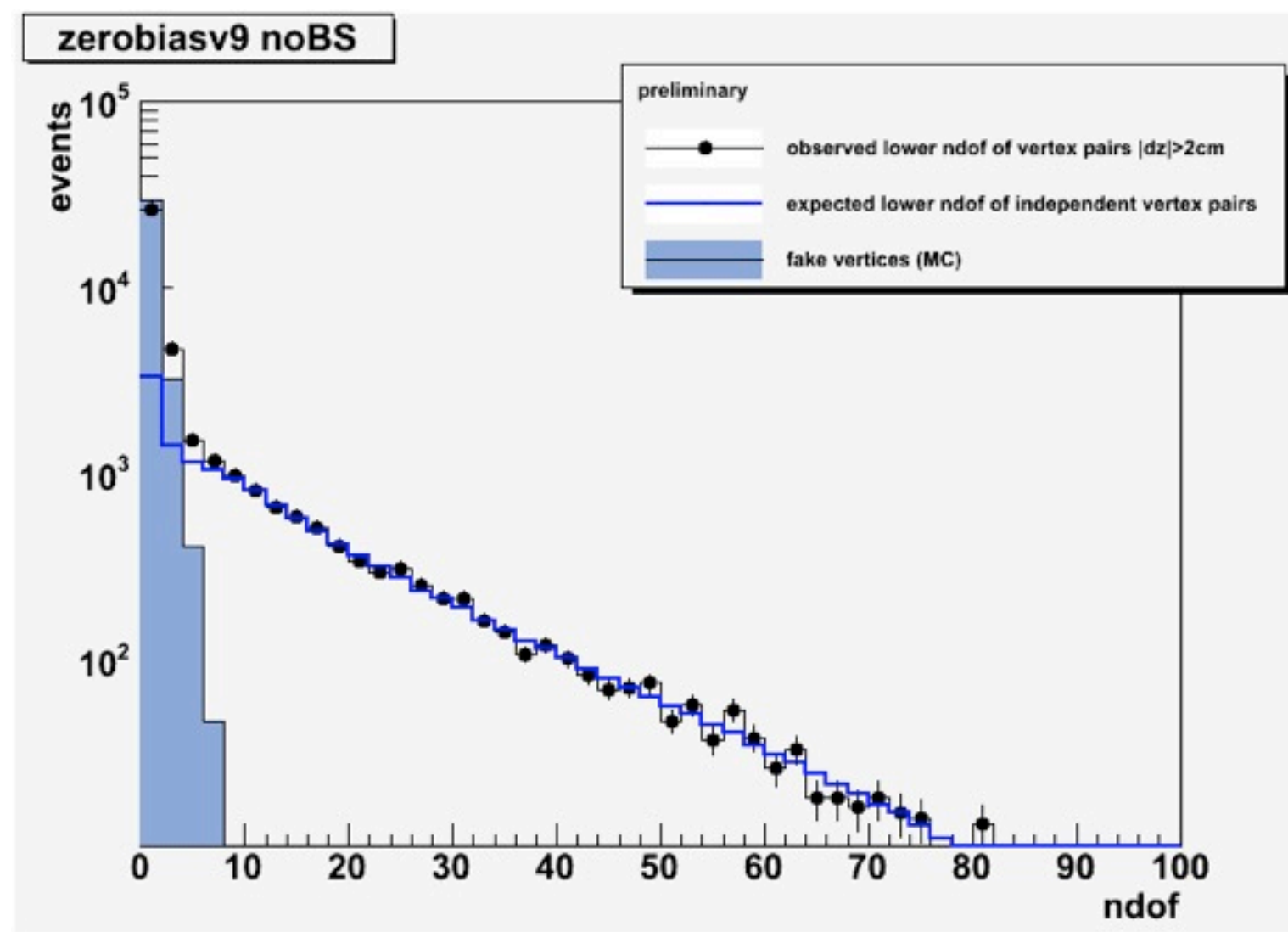
- Split vertex pairs have  $z_1 \sim z_2$ ,  $(z_1 + z_2)/2$  with width  $\sigma_z$  (BS)



Details in this doc by Wolfram Erdmann: <https://twiki.cern.ch/twiki/pub/CMS/TRK10005/pileup.pdf>

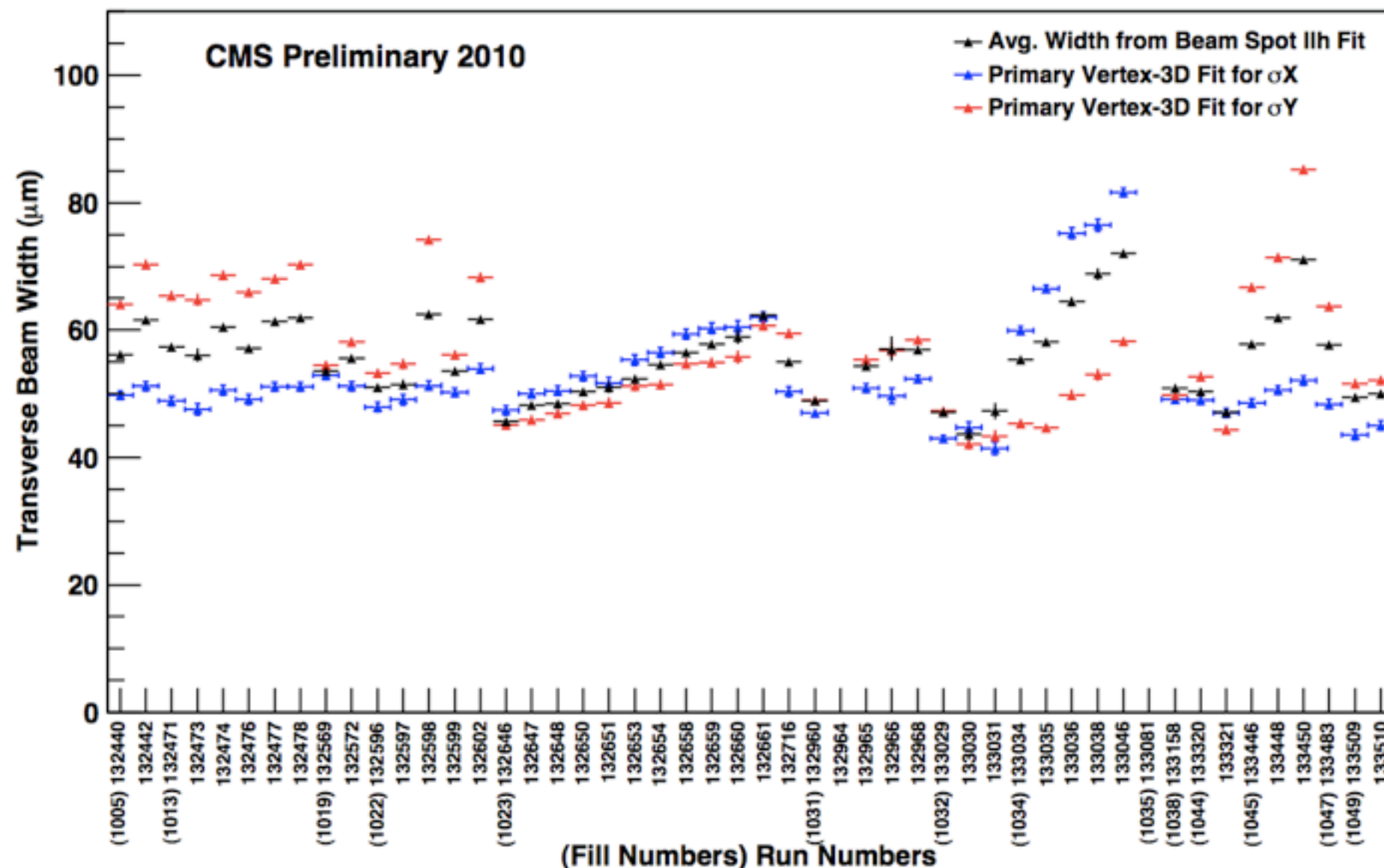
# PileUp - Lower Vertex Ndof Distribution

- Data is well represented by MC without PileUp
  - Expectation shape derived from inclusive ndof distribution
  - MC fake is normalized according to?



# BeamSpot: Transverse Beam Width

- Transverse beam width obtained by two methods
  - likelihood fit: using impact parameter correlations
  - Vertex-3D Fit for X and Y



- Similar plots for X/Y/Z/Slope are on the way

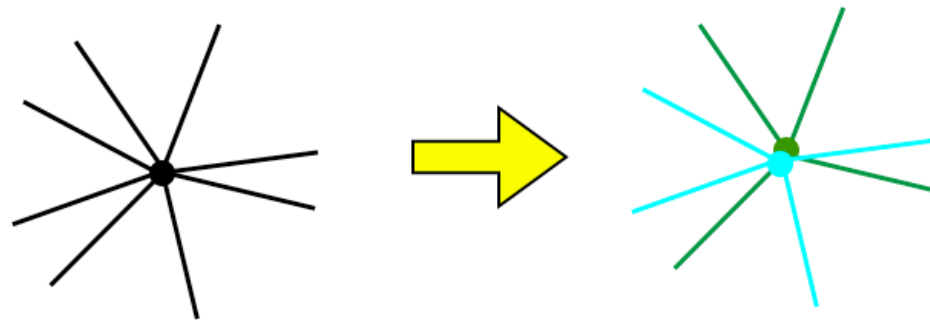
# Next Steps

- In general, repeat the studies on the ICHEP dataset/release
  - Are we going to abandon GOODCOLL? If so, what is the state of art?
- Track IP Resolution
  - Complete the resolution vs  $\phi$
  - Compare the measured resolution with the error from the track fit
  - Extend  $p_T$  range with the un-prescaled trigger dataset
- Primary Vertex Reconstruction
  - Repeat the resolution/efficiency studies with un-prescaled trigger dataset
  - Estimate the pile up rate
- BeamSpot
  - Converge and understand the plots to be included

# Backup Slides

# The Two-Vertex Method

- The algorithm has been approved in TRK-10-001
  - Primary vertex resolutions depend on  $n\text{Tracks}$  used and their  $\langle p_T \rangle$
  - Data-driven “two-vertex” method to measure primary vertex resolution



1. Split tracks into two independent sets
  2. Run PrimaryVertexProducer (**offlinePrimaryVertices**) on each trackset
  3. Compare the two fitted vertex positions and calculate
    - **Resolution**: of the gaussian fit to  $\frac{x_1 - x_2}{\sqrt{2}}$
    - **Pull**: of the gaussian fit to  $\frac{x_1 - x_2}{\sqrt{\sigma x_1^2 + \sigma x_2^2}}$
- To estimate the effect from track  $p_T$ , the procedure is repeated with different average  $p_T$  Ranges

## Reminder: Beam Spot Monitoring

### ■ online beam spot:

- ☐ Beamline position estimated in the online DQM.
- ☐ Two methods (DQM modules): full tracking, and pixel tracks.
- ☐ Results in ~real time (2-3 min): fit lumi-by-lumi. Independent results every 5 lumi sections.
- ☐ Results are send to DIP(LHC), and also injected into raw data via the scalars.
- ☐ Beam spot scalars are being used for express and prompt reconstruction, and will be used also in HLT.
- ☐ This monitoring tools has been shown to be very stable and useful to monitor beam position during data taking.

### ■ offline beam spot:

- ☐ Use express Alcareco samples.
- ☐ New runs usually processed and conditions uploaded in < 1 day.
- ☐ Procedure is still not fully automatized. A lot of work is being done to have this step fully automatize in T0. Need to maintain several DB conditions.
- ☐ The beam spot can be reprocessed like in the case when a new tracker alignment is available.